

## ■ Models with logistic T cell growth

Since the robust qualitative affect of crHIV-1 introduction depends upon the growth characteristics of the  $T$  reservoir (i.e. parameters  $\lambda$  and  $d$ ), we explored the effect of altering this growth rate. Logistic growth is commonly used in biological models to describe population growth in a more realistic manner than constant or exponential growth, since it assumes a limitation of resources and limits population growth above a set threshold value. Logistic growth has been considered in the context of the Basic Model (Nelson and Perelson, 1999), but is usually assumed to have a small affect and is thus ignored. We explored two forms of logistic growth, for  $T$  cells, into the Basic Model: a form that limits growth when only  $T$  cells approach the threshold value  $T_{\max}$  and a form that limits growth when  $T + I_T$  approaches the threshold  $T_{\max}$ .  $T_{\max}$  was assumed to be between 2000 and 4000 cells/ $\mu$ L of blood. We performed dynamic simulations using the distributed delay model above since algebraic steady state analysis was not practical. The equations are as above in the distributed delay section except that the  $T$  equation is as follows:

$$\dot{T} = \lambda + r T \left(1 - \frac{T}{T_{\max}}\right) - d T - k V T - k V_T T$$

or

$$\dot{T} = \lambda + r T \left(1 - \frac{T+I_T}{T_{\max}}\right) - d T - k V T - k V_T T$$

We tested an array of  $r$  values between 0.001 – 0.1 and an array of  $T_{\max}$  values between 2000 – 4000 cells/ $\mu$ L.

The decrease in HIV-1 set point was not qualitatively affected by either of these alterations to the model.